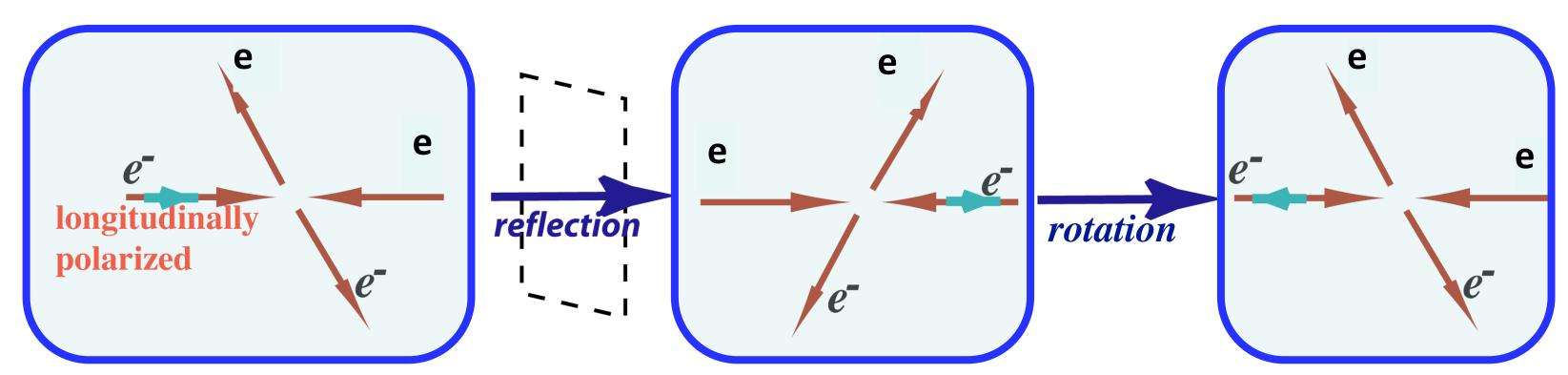
MOLLER Experimental Apparatus Overview

Kent Paschke

Electron Scattering and Parity-Violation



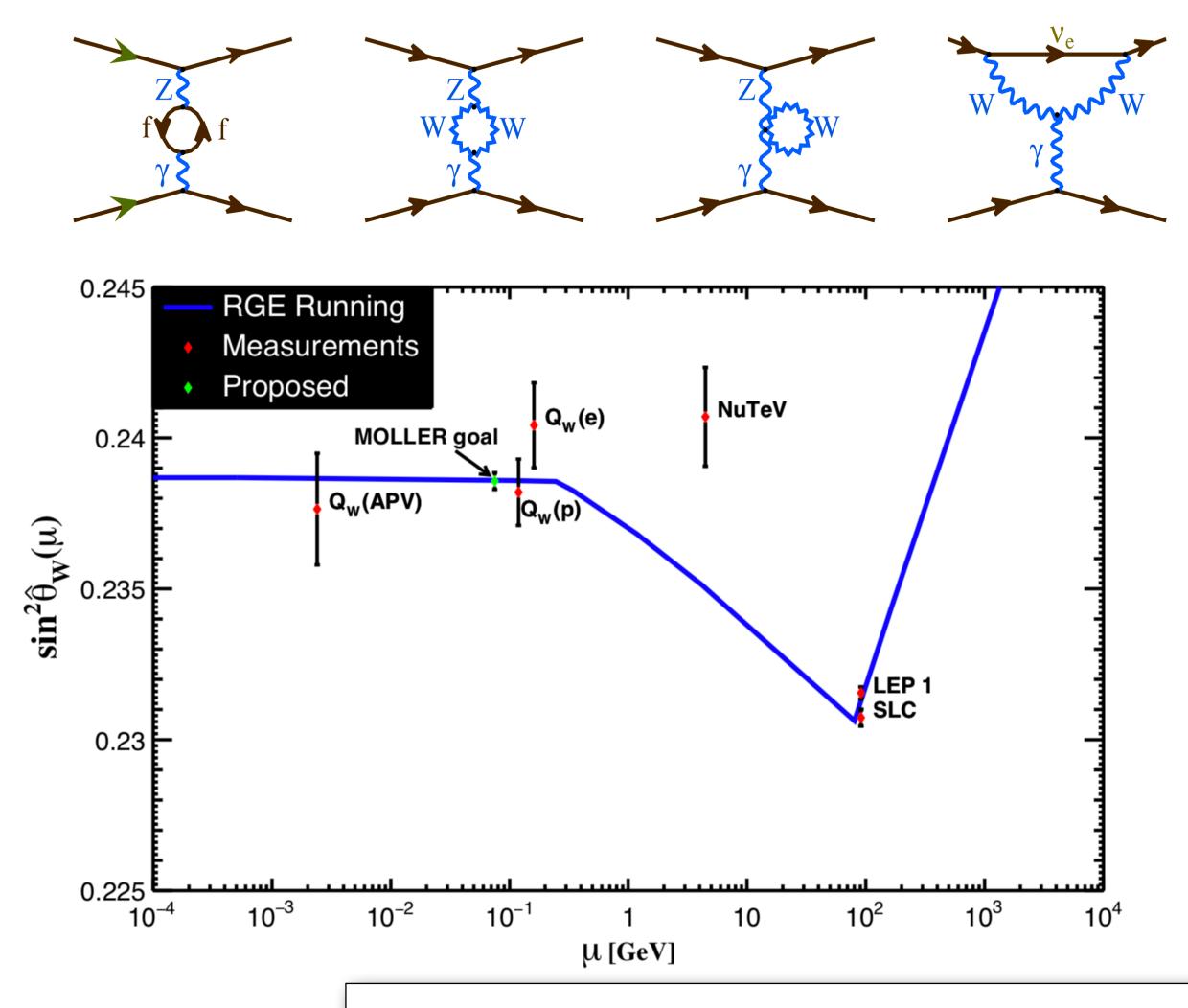
- •Incident beam is longitudinally polarized
- •Change sign of longitudinal polarization
- •Measure fractional rate difference

$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \sim \frac{\frac{\gamma}{|\mathcal{M}_Z|}}{|\mathcal{M}_{\gamma}|} \propto \frac{|\mathcal{M}_Z|}{|\mathcal{M}_{\gamma}|}$$

Measuring ee elastic (Møller) scattering

$$A_{PV} \propto Q_W^e = 1 - 4\sin^2\theta_W$$

The Weak Mixing Angle



Renormalization scheme defines $sin^2\theta_W$ at the Z-pole.

γ-Z mixing and other diagrams are absorbed into the coupling constant

At the Z-pole - measuring properties of the SM Z⁰ boson

Off the Z-pole, low-energy measurements are sensitive to (new) parity-violating interactions

 $\delta(\sin^2\theta_W) = \pm 0.00024 \text{ (stat.)} \pm 0.00013 \text{ (syst.)} \implies \sim 0.1\%$ Matches best collider (Z-pole) measurement!

MOLLER

parity-violation in e-e- elastic scattering

$$A_{PV} = 35.6 ppb$$

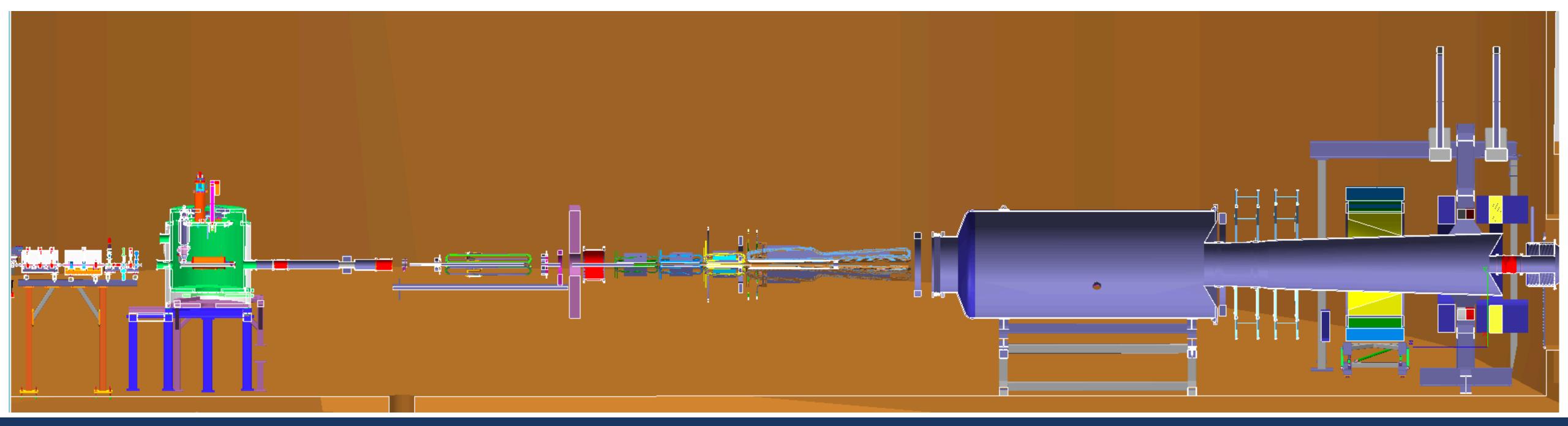
$$\delta(A_{PV}) = 0.73 \ parts \ per \ billion$$

$$\delta(Q^{e}W) = \pm 2.1 \% (stat) \pm 1.0 \% (syst)$$

signal rate: 135 GHz

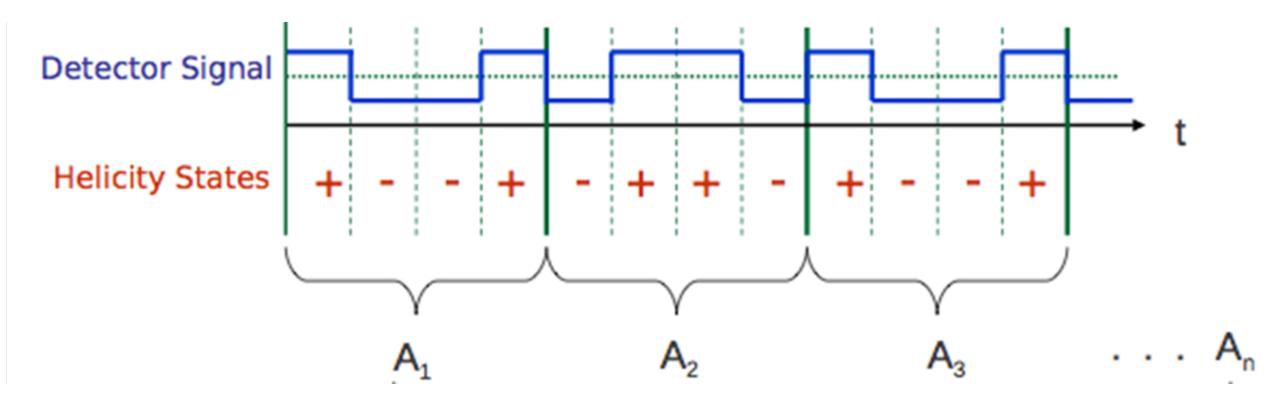
run time: 8200 hours

~3x10¹⁸ electrons detected

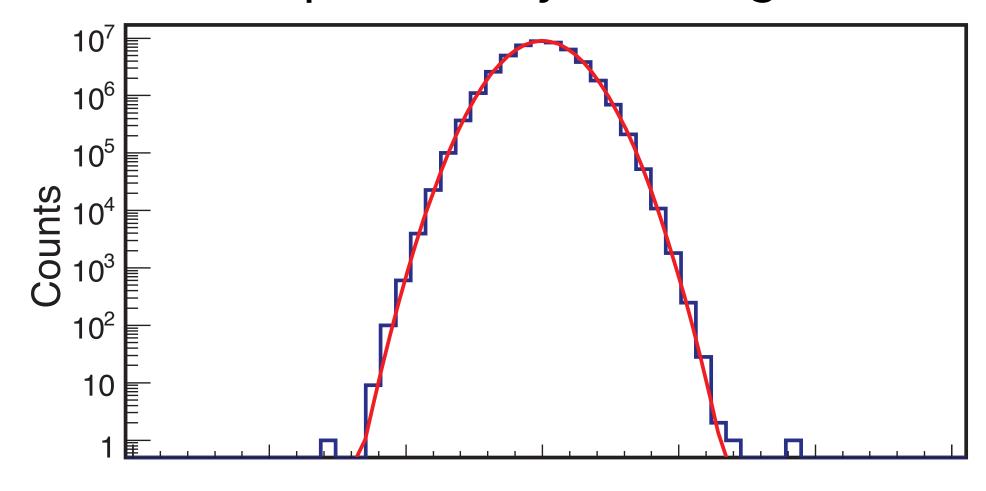


Measuring this small asymmetry

Rapid (2kHz) helicity reversals

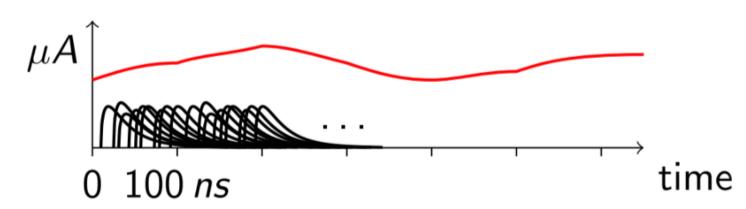


Measure to 0.01% at 1 kHz, repeat for a year straight



Place a detector where it sees the Møller scattered electron

Analog integrate detector current



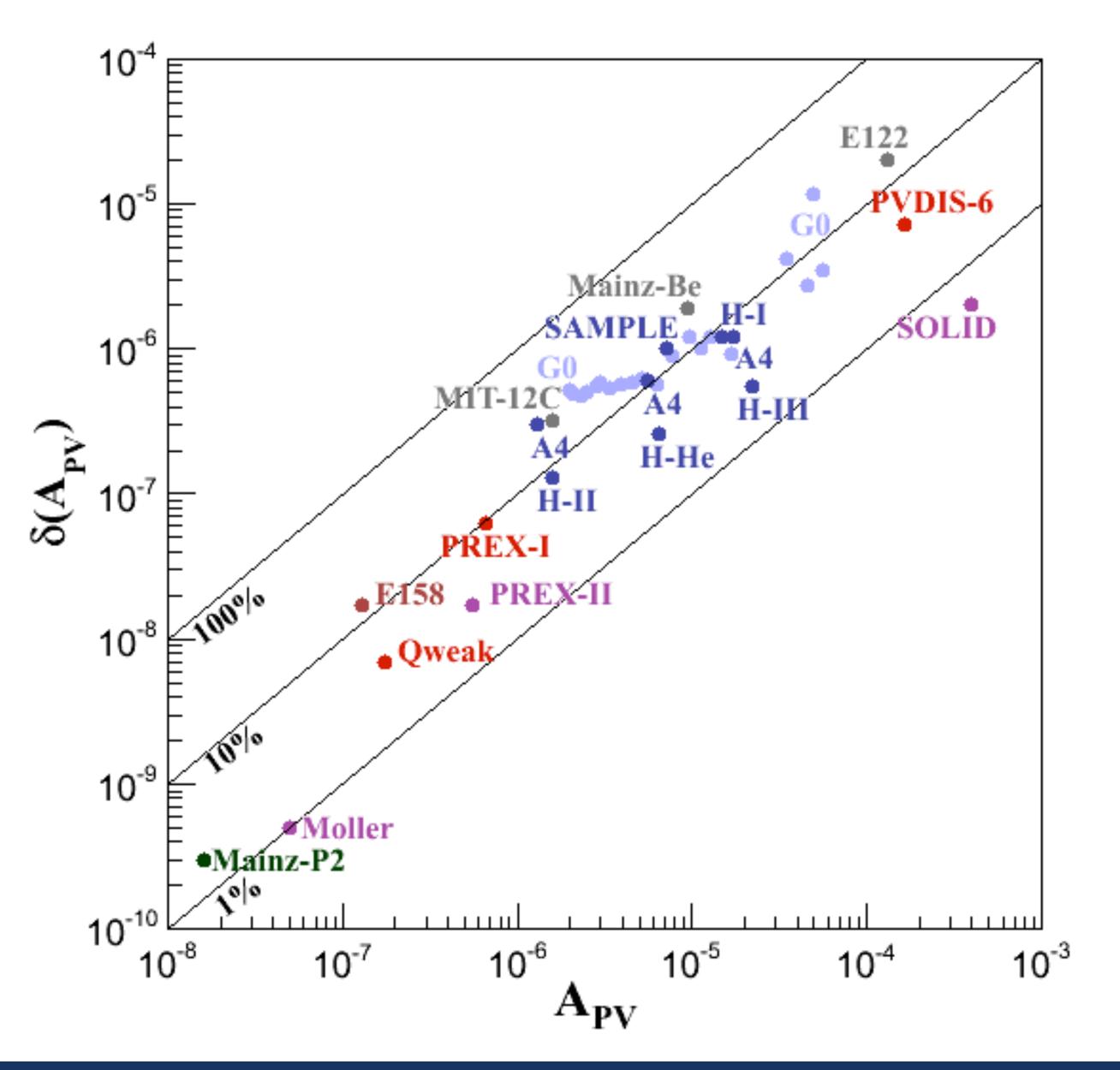
Form an asymmetry over the helicity reversal

Specialized experimental techniques

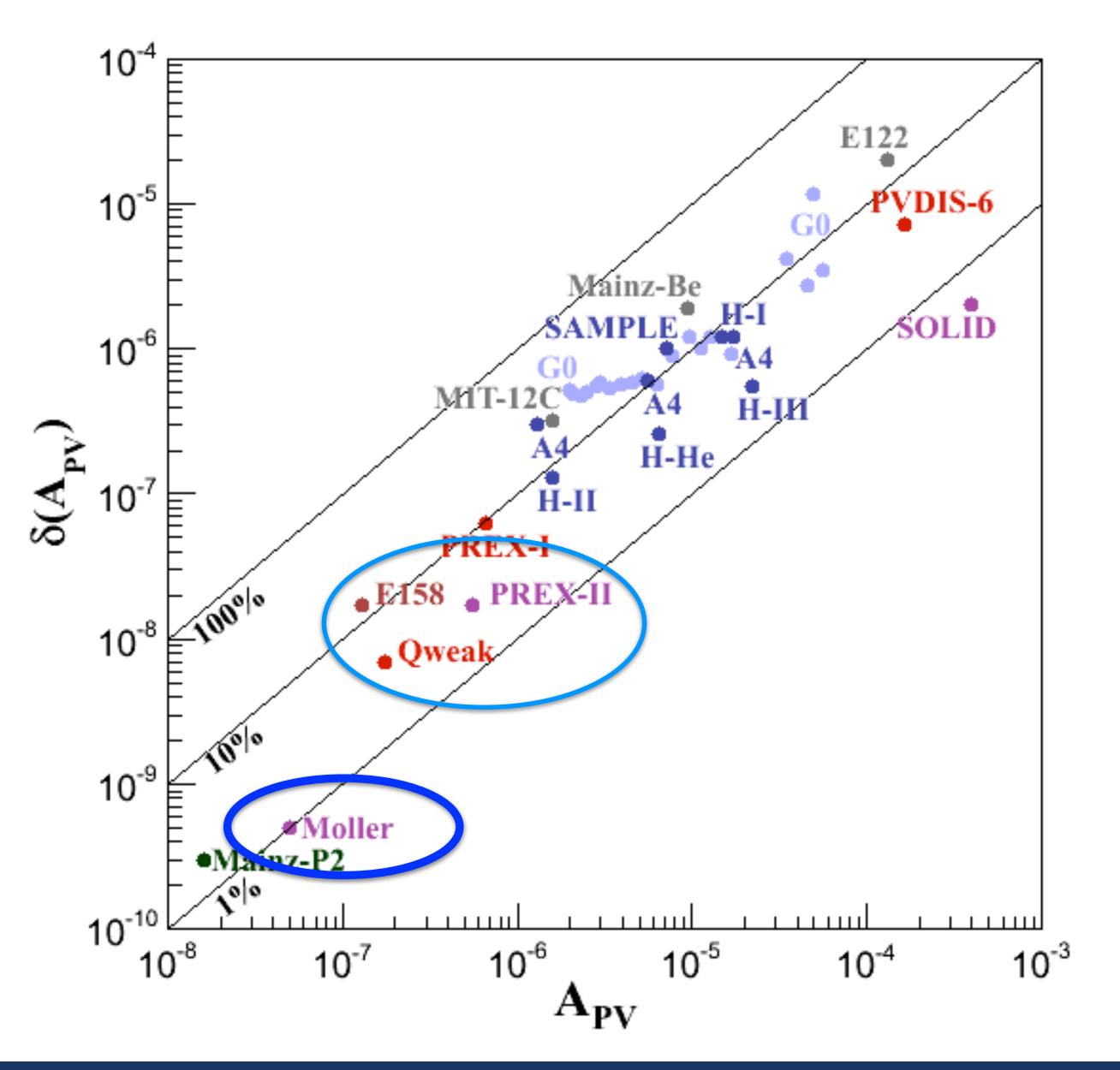
- Precise spectrometer to separate signal
- Low noise electronics
- Precise beam control and measurement

•

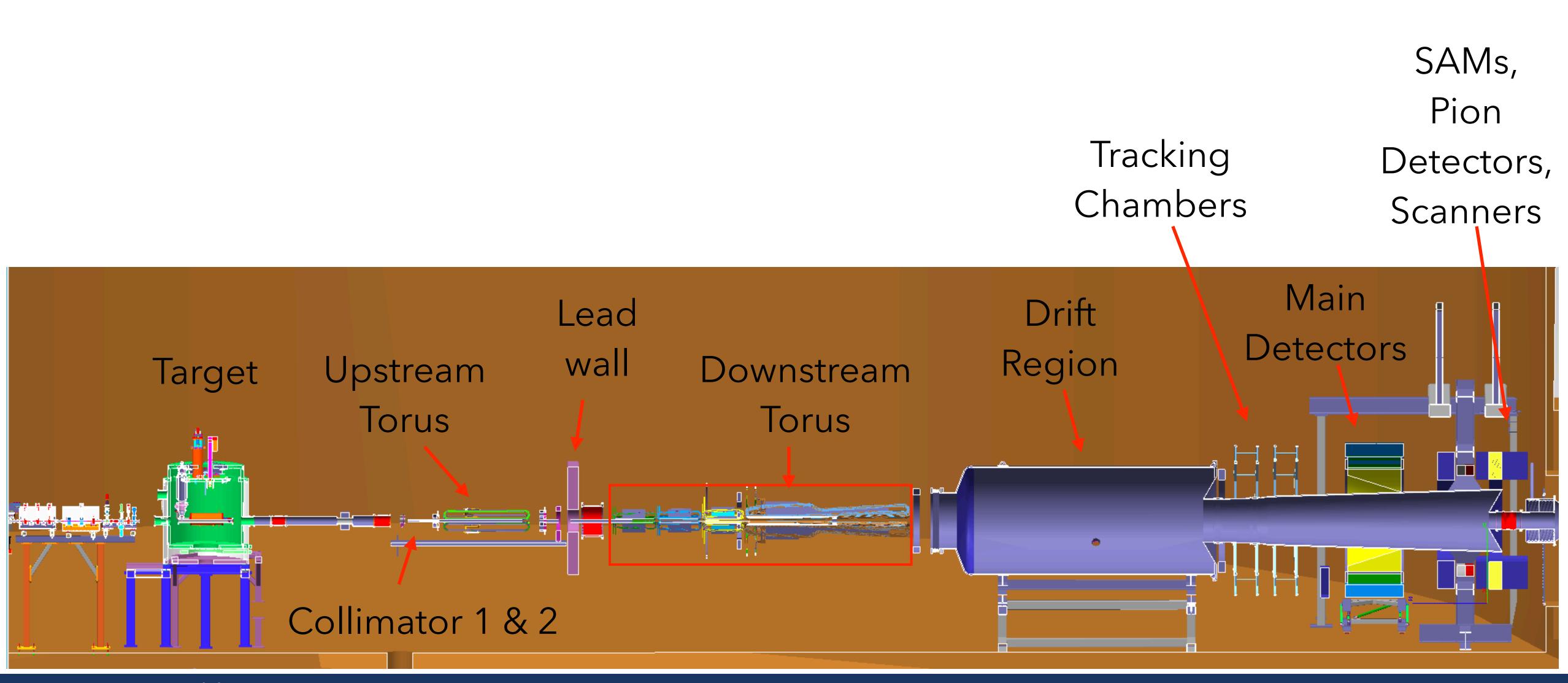
High Precision



High Precision

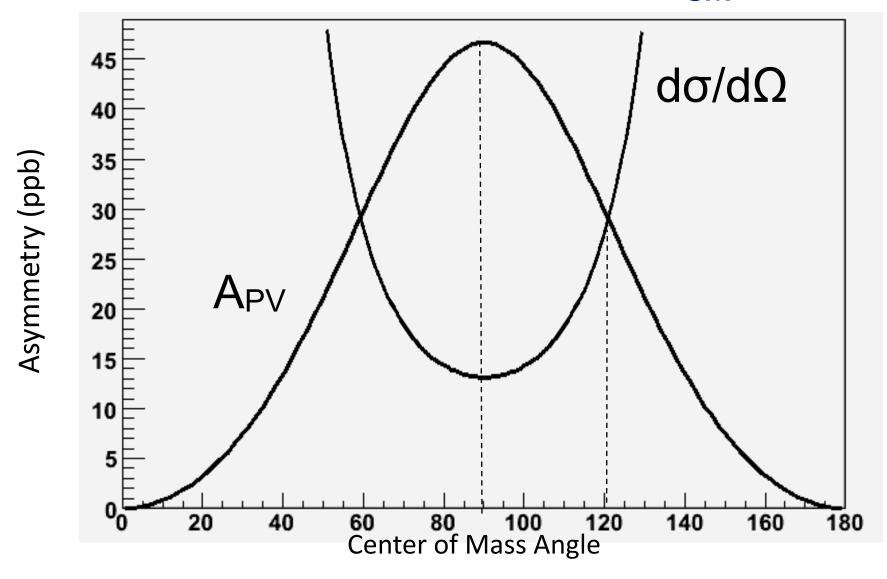


Experimental Overview



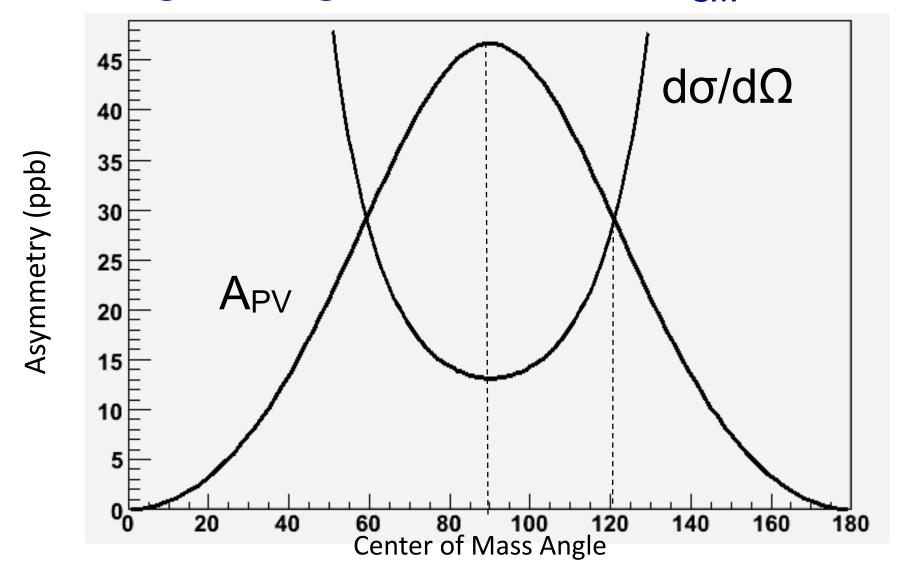
$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = mE \frac{G_F}{\sqrt{2}\pi\alpha} \frac{4\sin^2\theta}{(3 + \cos^2\theta)^2} Q_W^e$$

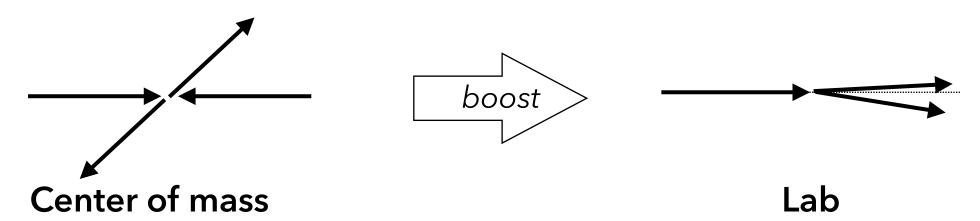
Highest figure of merit at $\theta_{CM} = 90^{\circ}$



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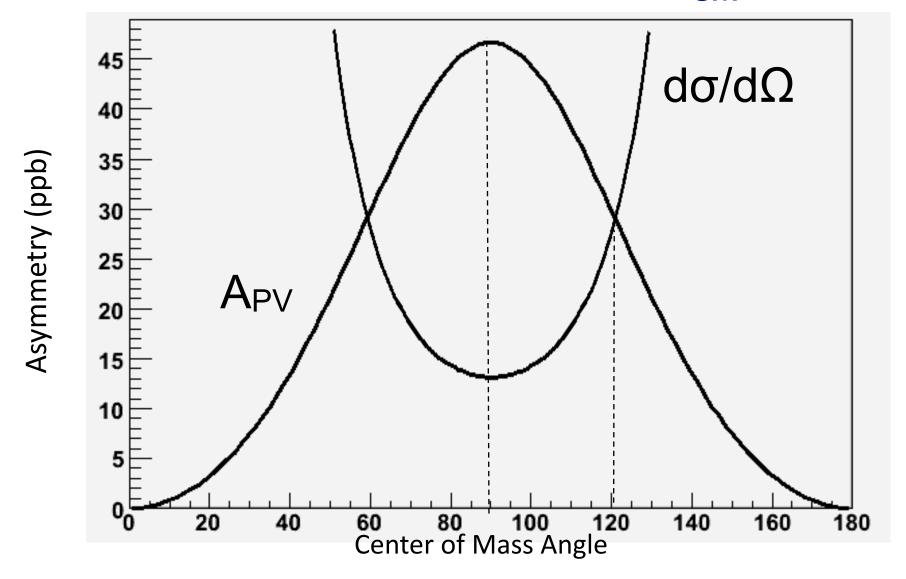
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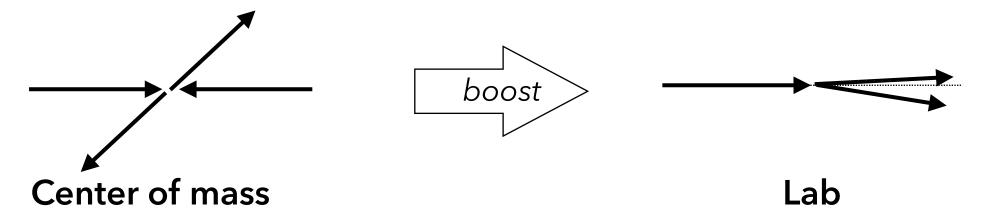




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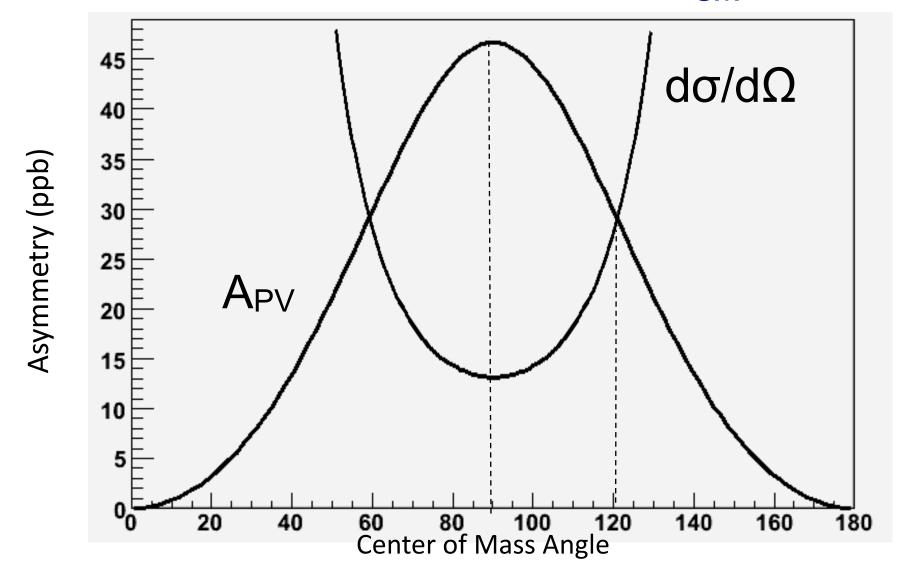


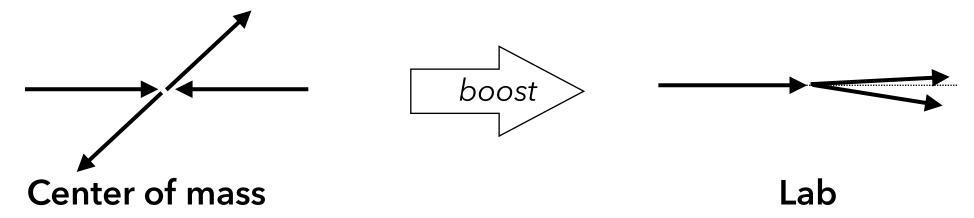
Identical particles.

Measure either forward or backward scattering.

$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = mE \frac{G_F}{\sqrt{2}\pi\alpha} \frac{4\sin^2\theta}{(3 + \cos^2\theta)^2} Q_W^e$$

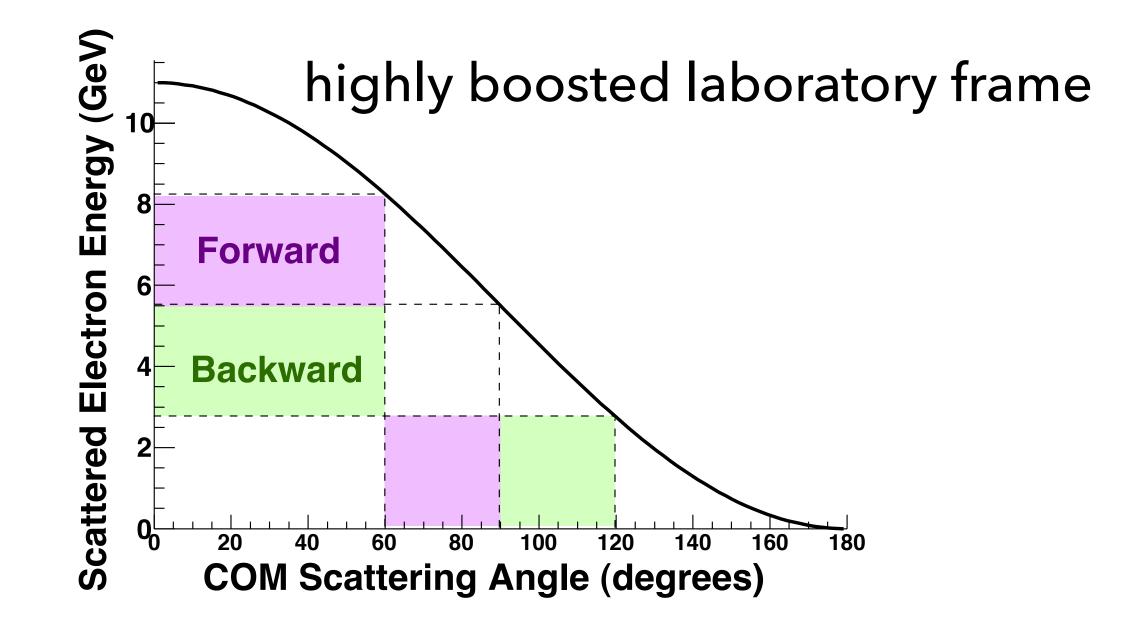
Highest figure of merit at $\theta_{CM} = 90^{\circ}$





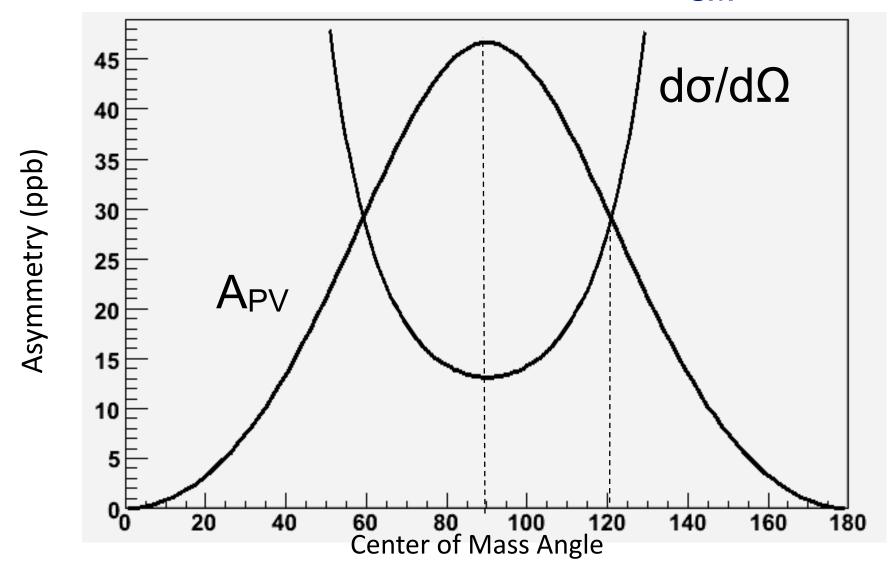
Identical particles.

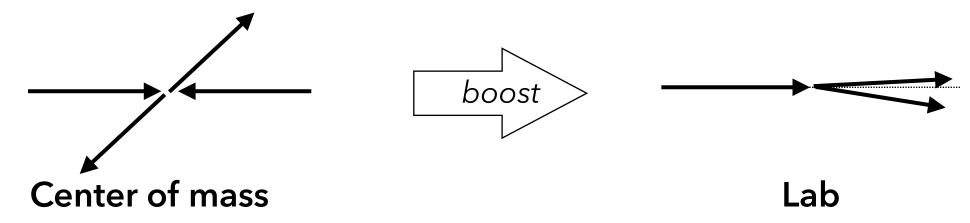
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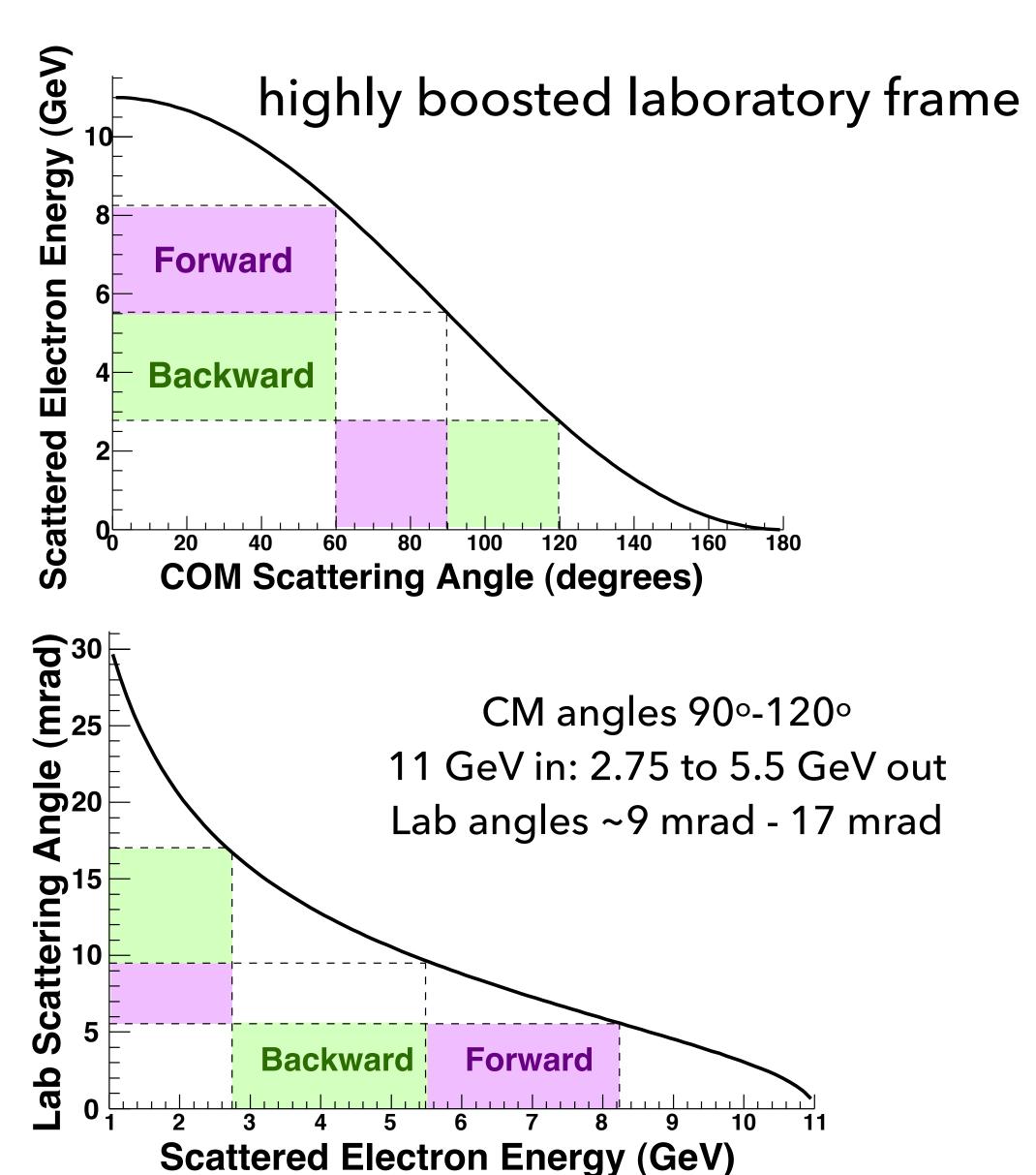
Highest figure of merit at $\theta_{CM} = 90^{\circ}$





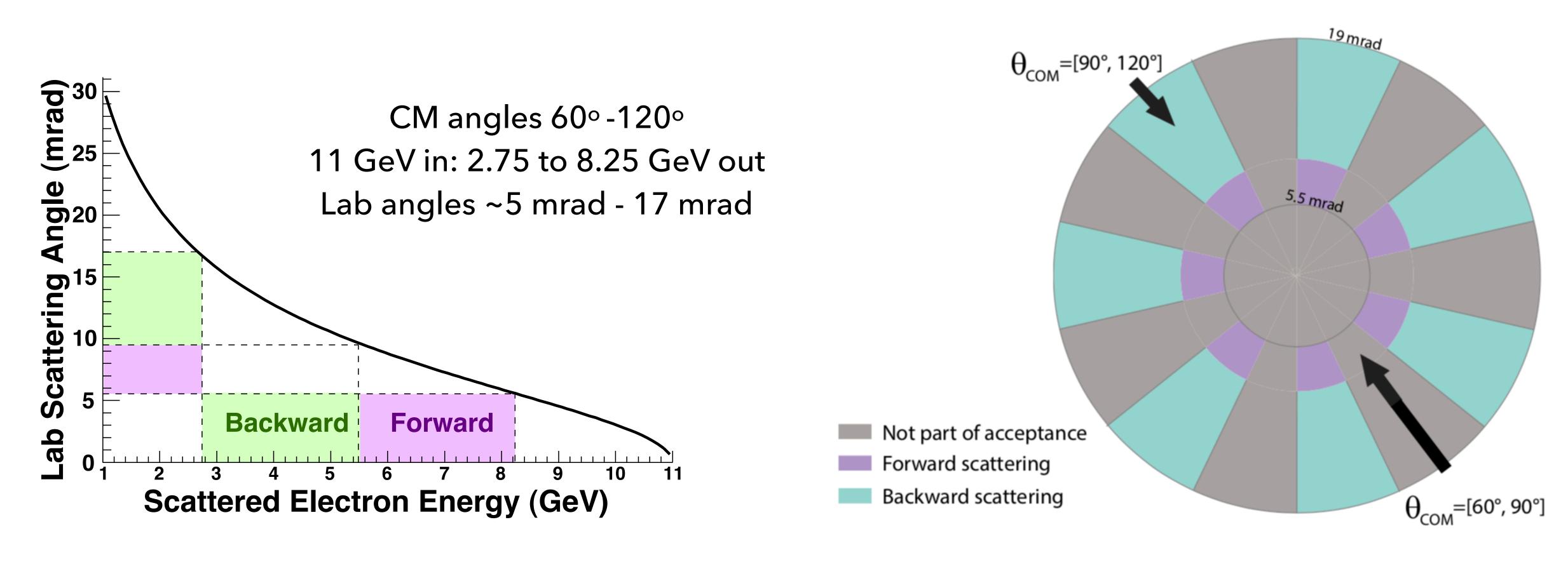
Identical particles.

Measure either forward or backward scattering.

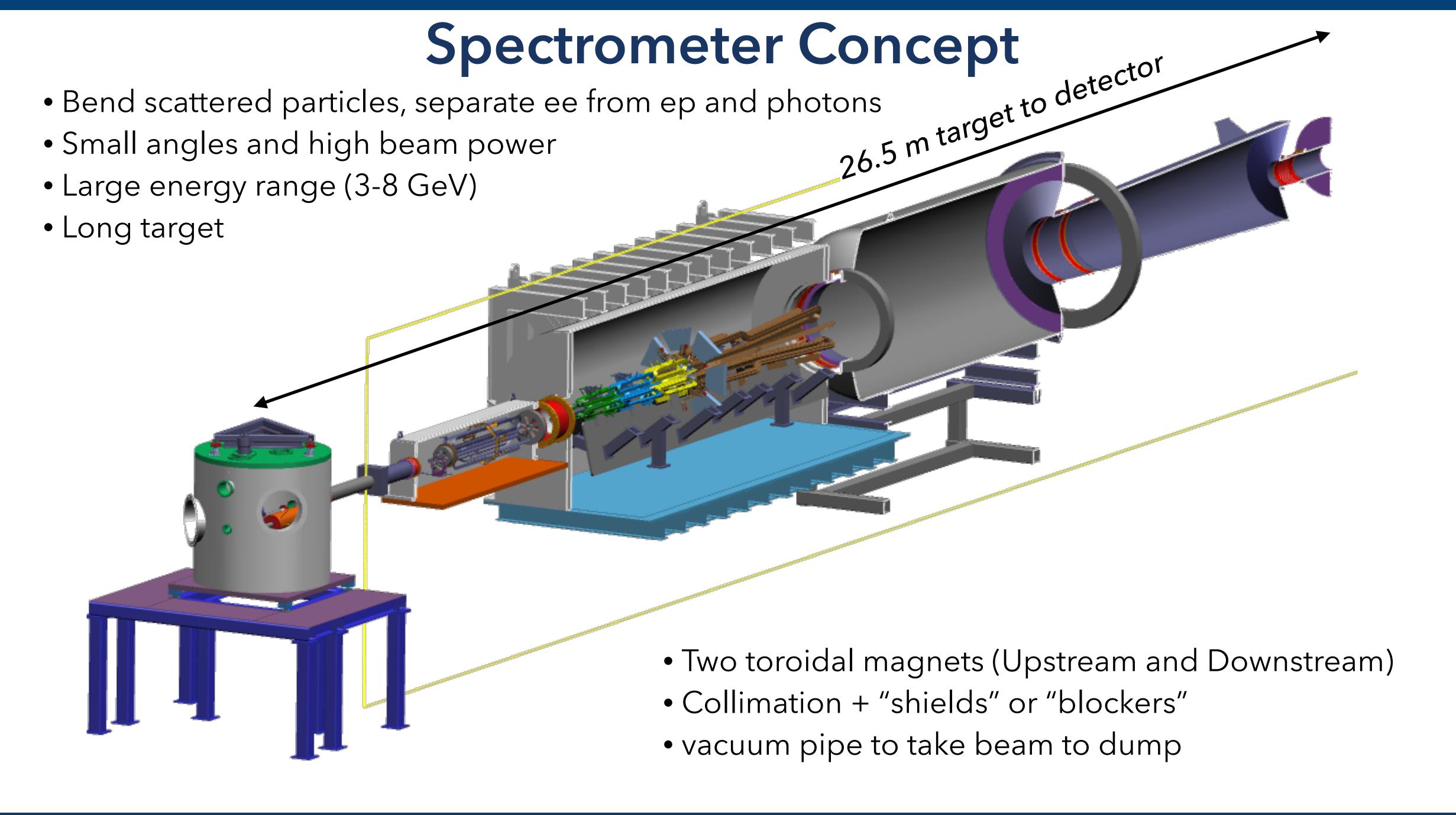


Identical Particles

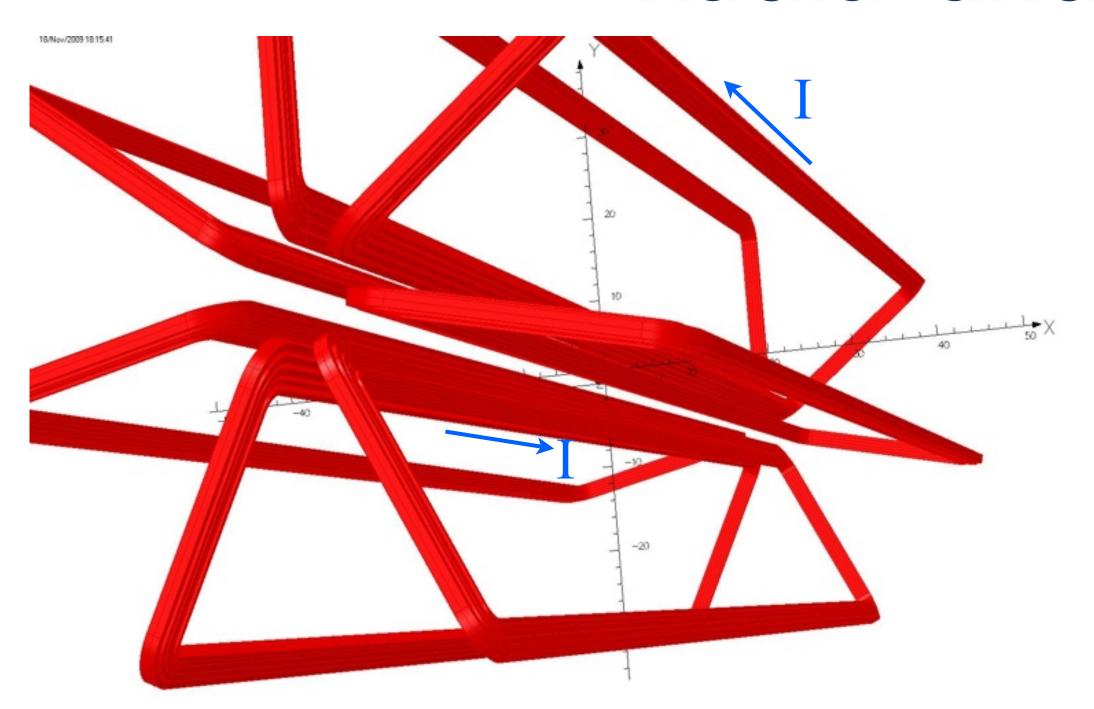
Since you only need either the forward or the backward scatter, accept forward+backward for half the azimuth



Unique concept allows for full azimuthal acceptance (effectively) even leaving space for coils but makes for a challenging design

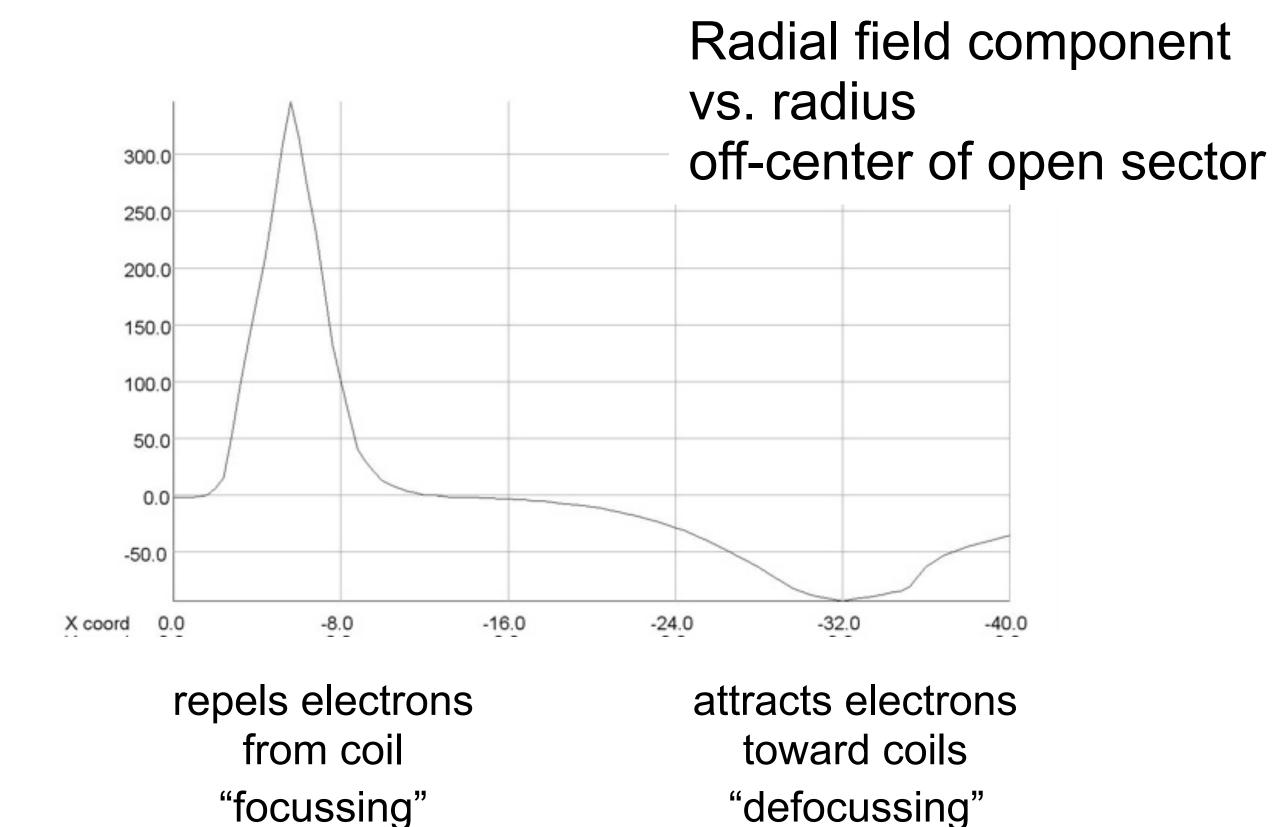


Radial and Azimuthal Fields



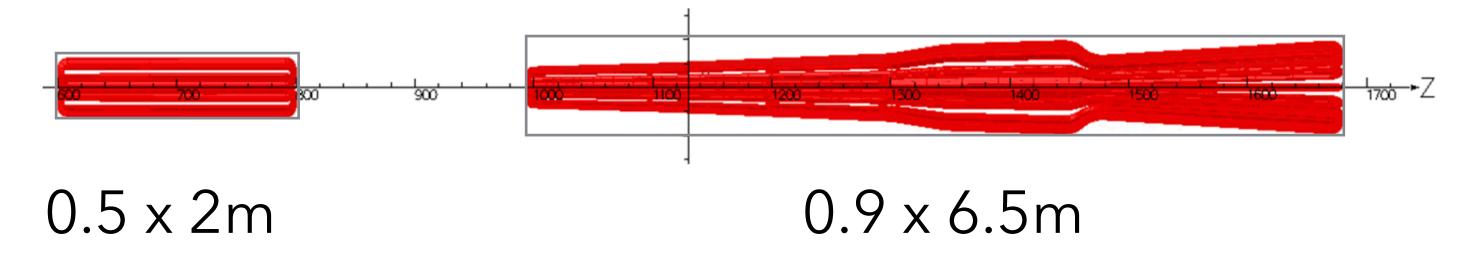
Effectively focuses or defocusses azimuthally!

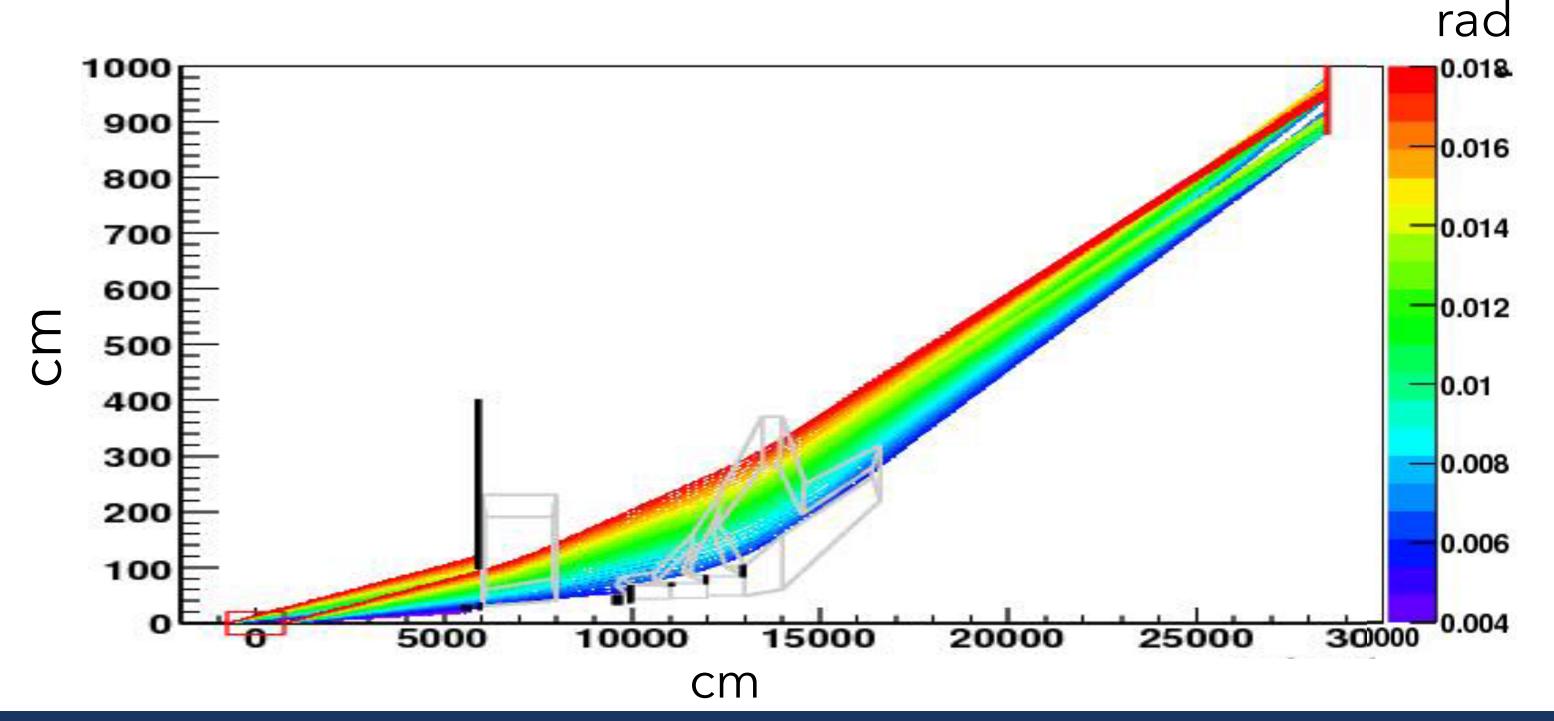
Inner and outer edges of toroids have significant radial field components

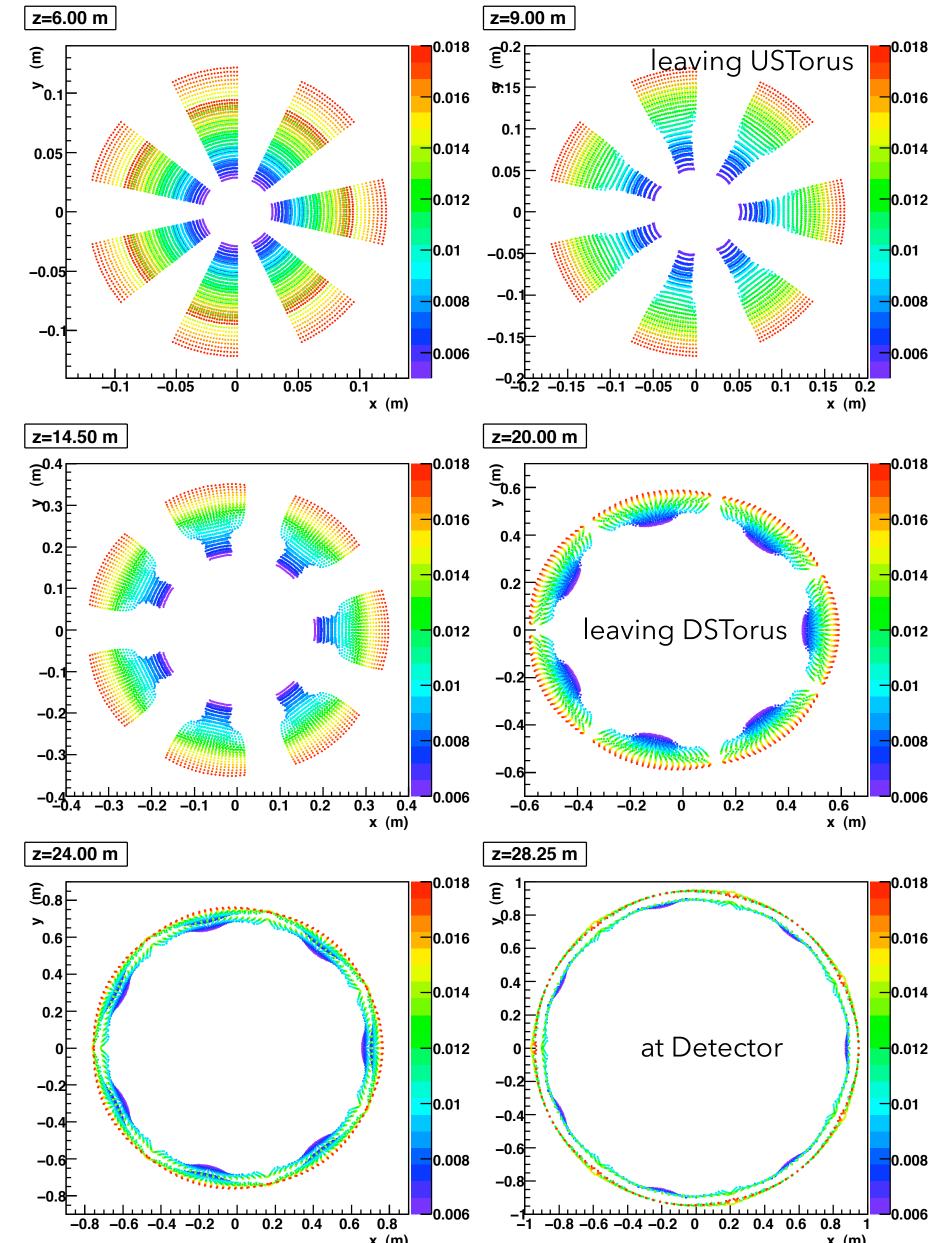


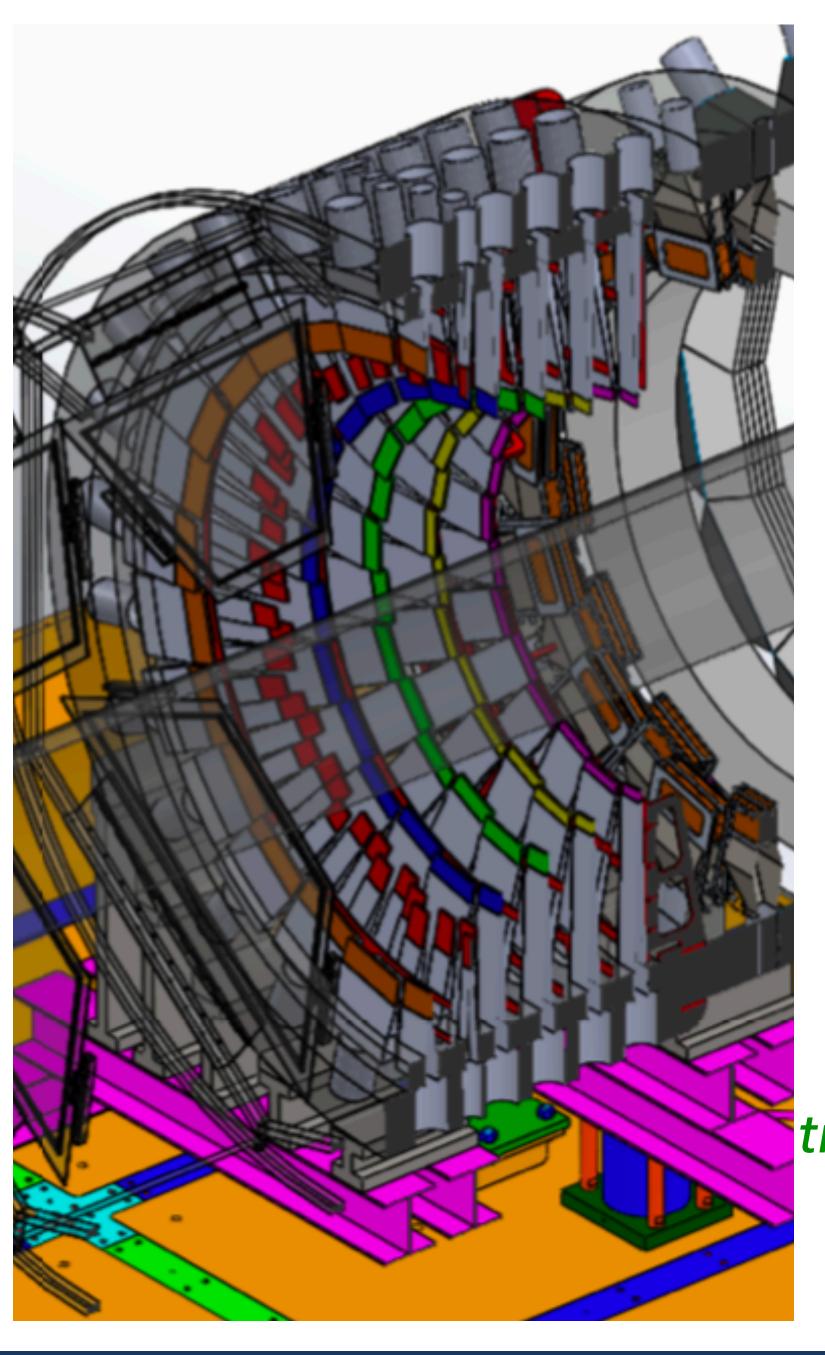
Magnet Concept

long and skinny

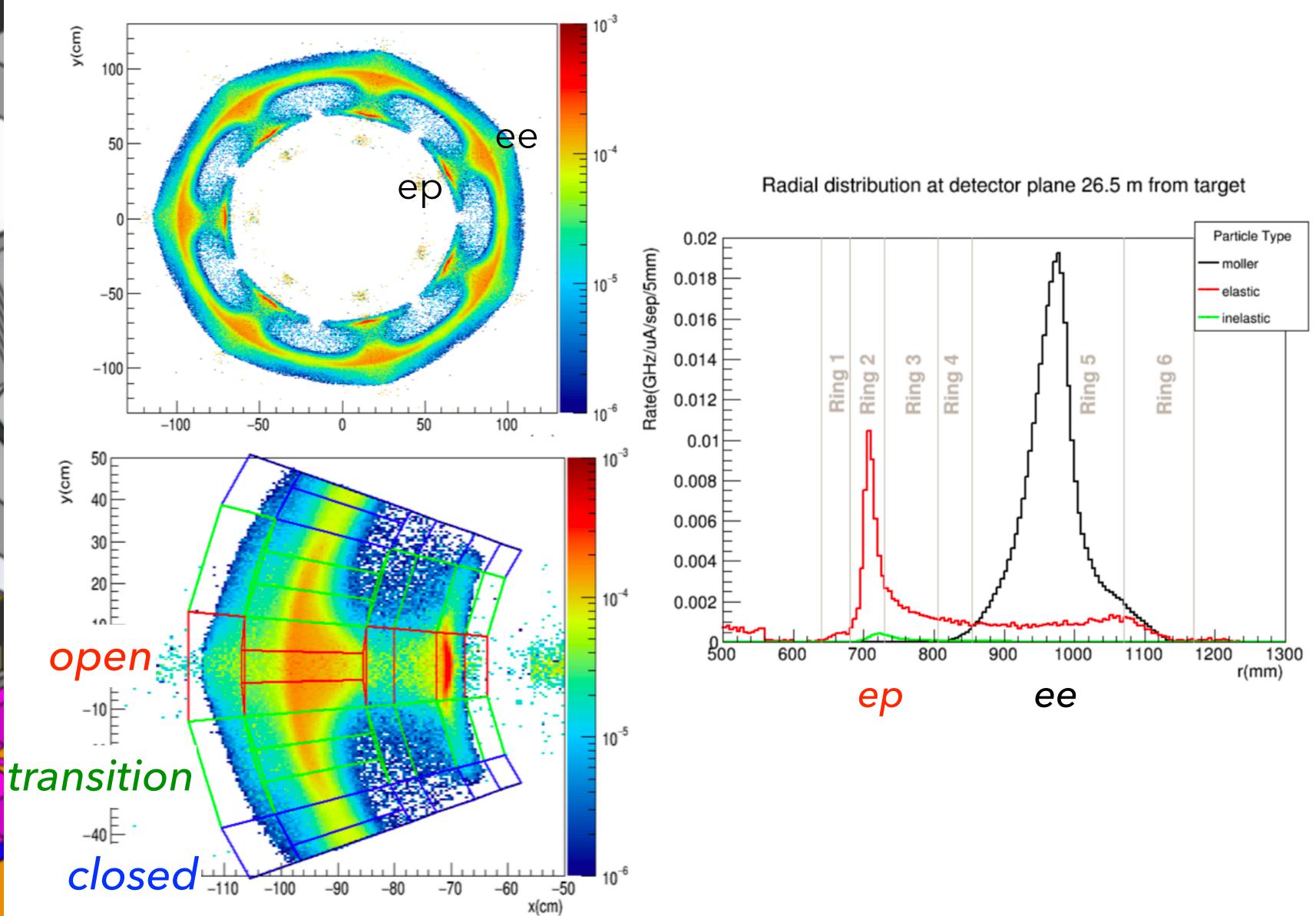






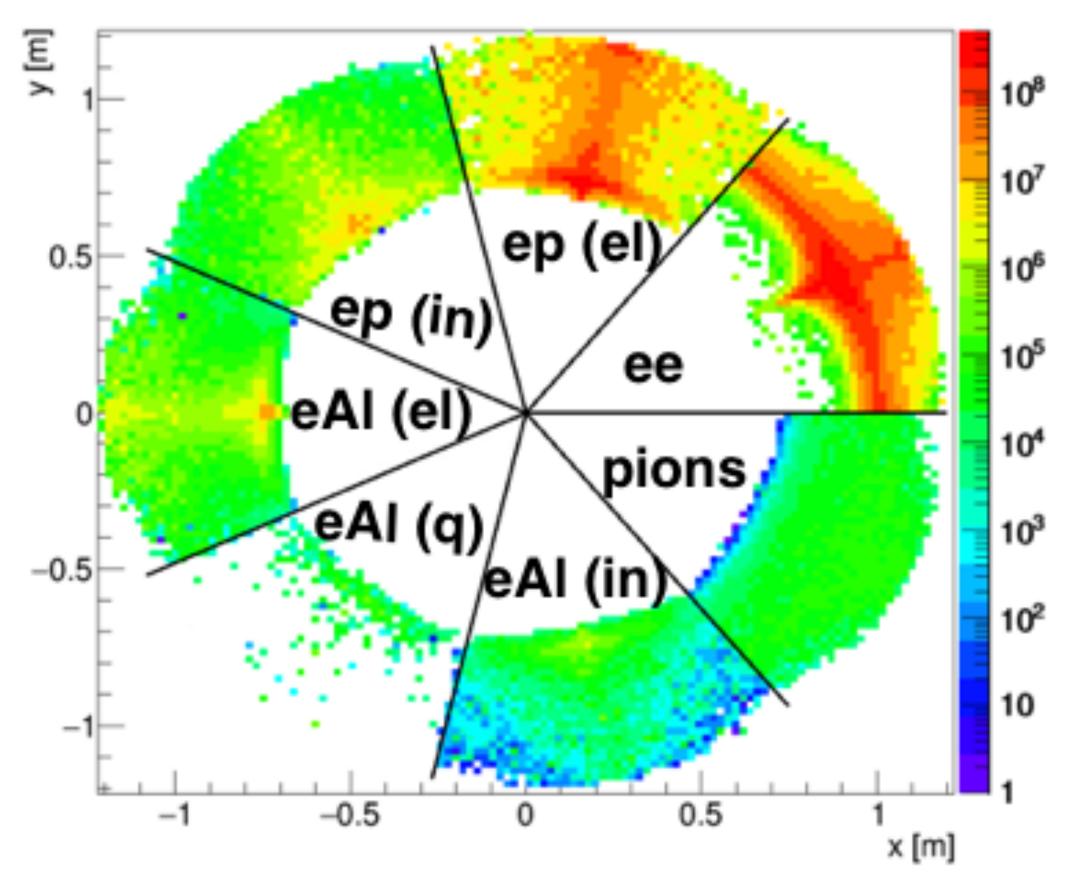


Main Detector



Backgrounds (irreducible)

Illustration with each septant a different fundamental background



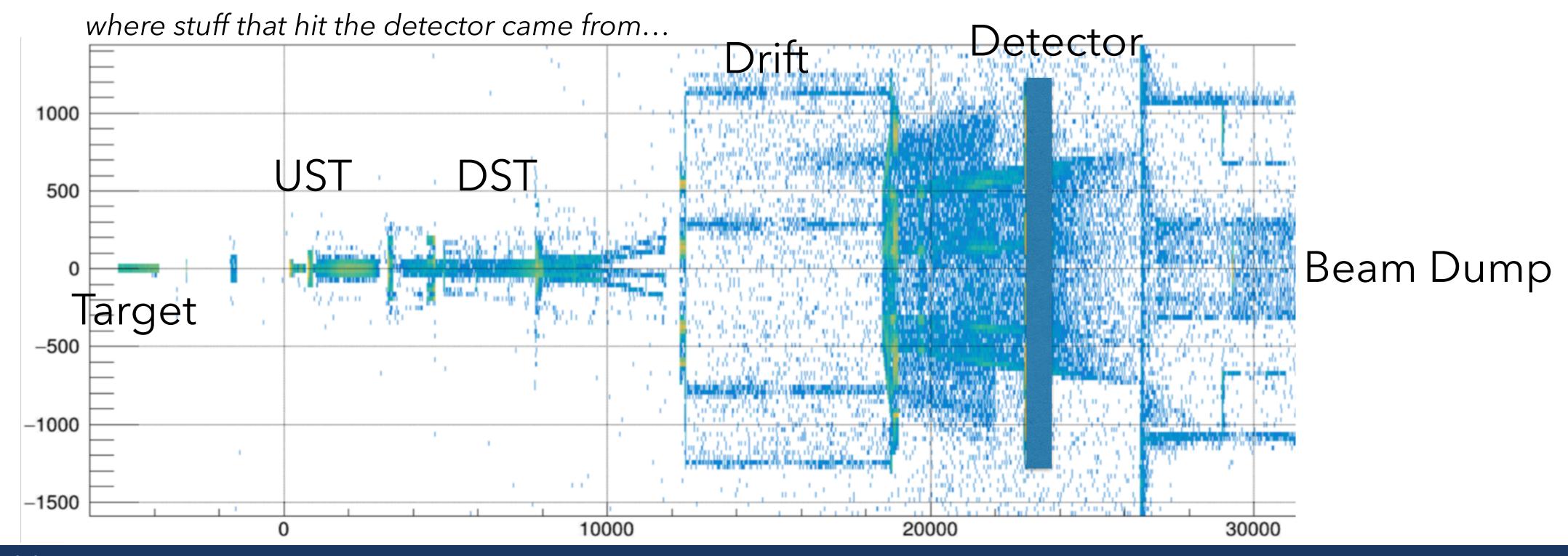
There are various sources of backgrounds arising from scattering in the target that will pass through the spectrometer and arrive at the detector plane.

We must deconvolute the signal from the background using the segmented detector plane

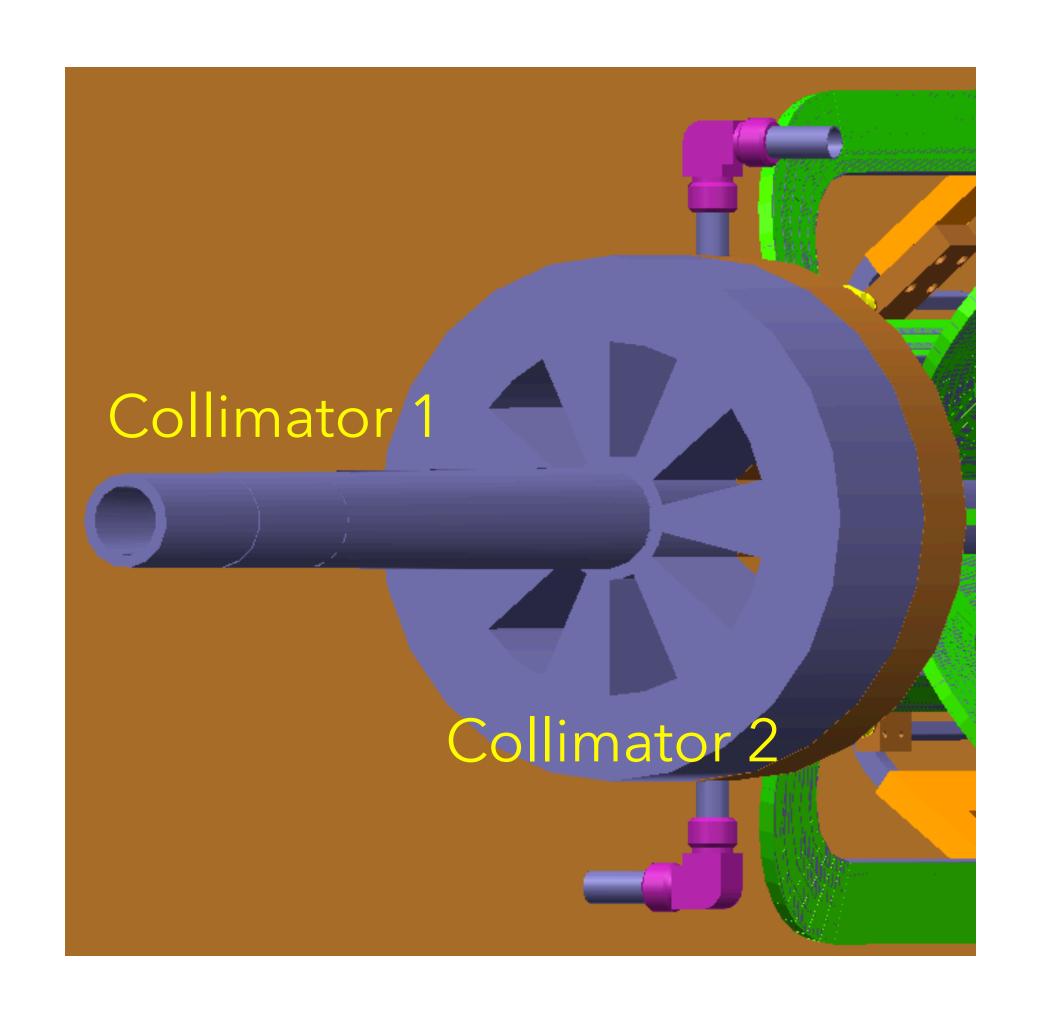
Backgrounds (rescattering)

Other backgrounds aren't directly through the acceptance channel, but are

- from rescattering of the beam as it makes its way through the spectrometer to the dump
- from off-energy particles in the acceptance that rescatter from edges or surfaces, and go on to find the detector



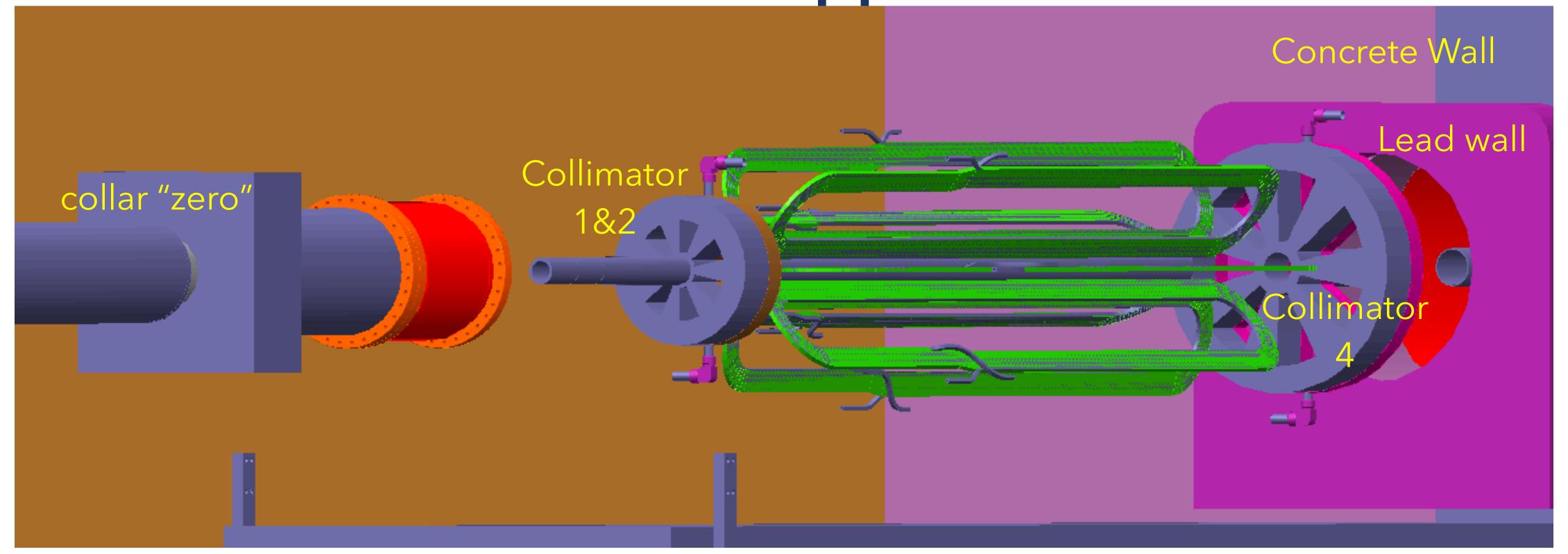
Beam Collimation

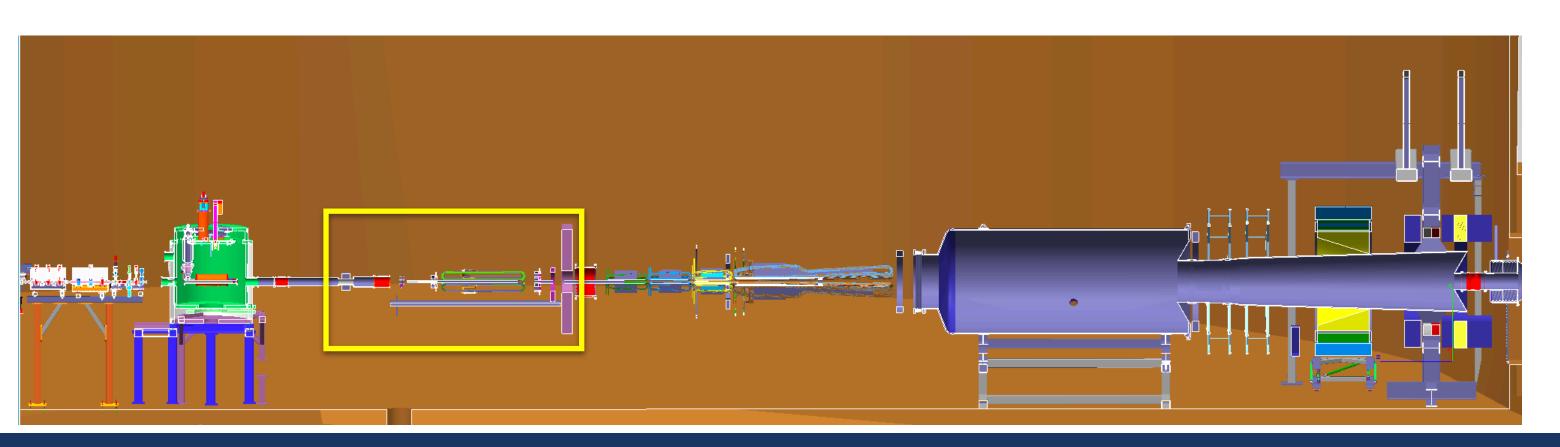


Collimator 1: long snout, collimates primary beam so what remains can go to the dump. ~3200 W

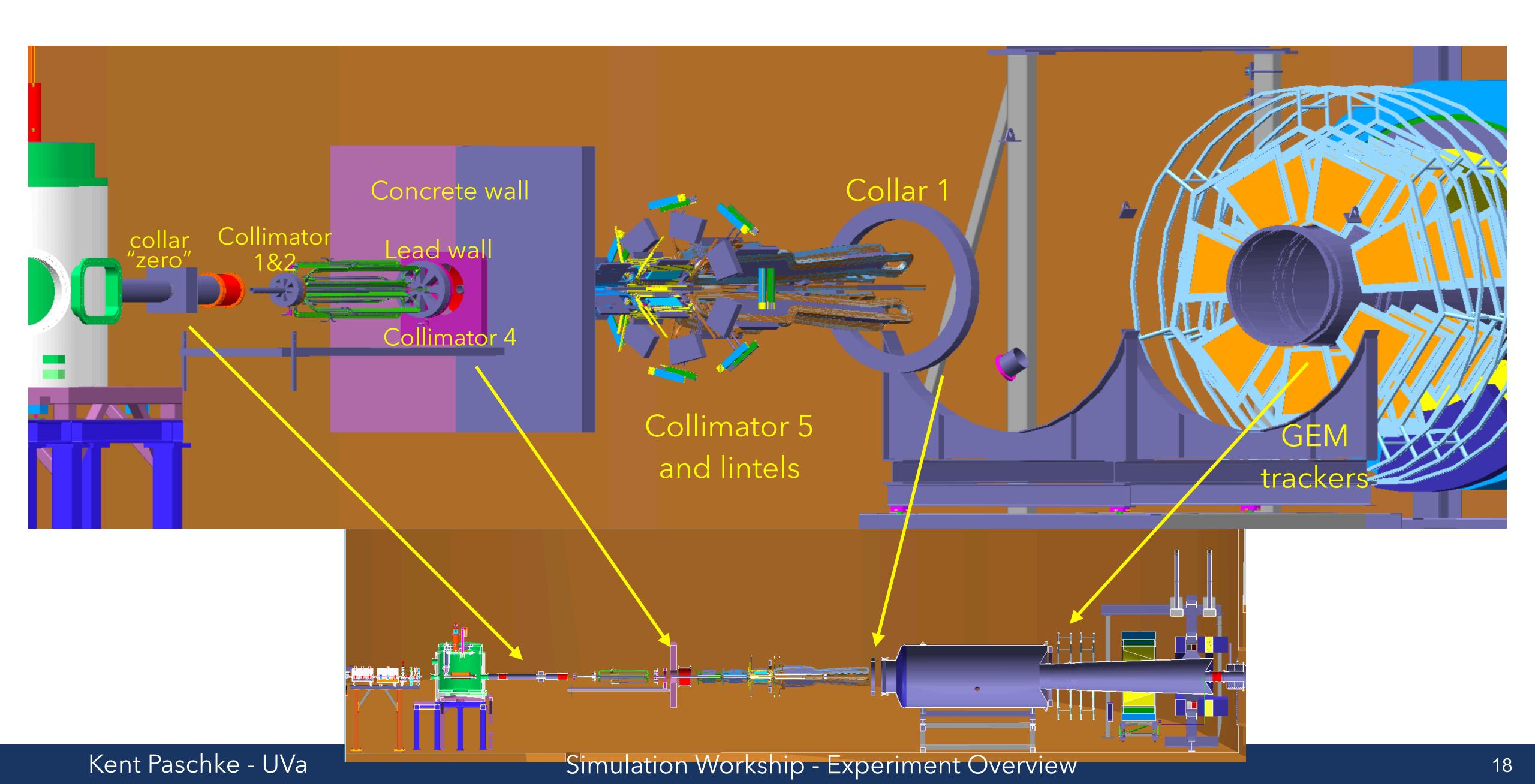
Collimator 2: wedges define the acceptance of the 7 septants

Walls, collars, and lintels supplement the collimation

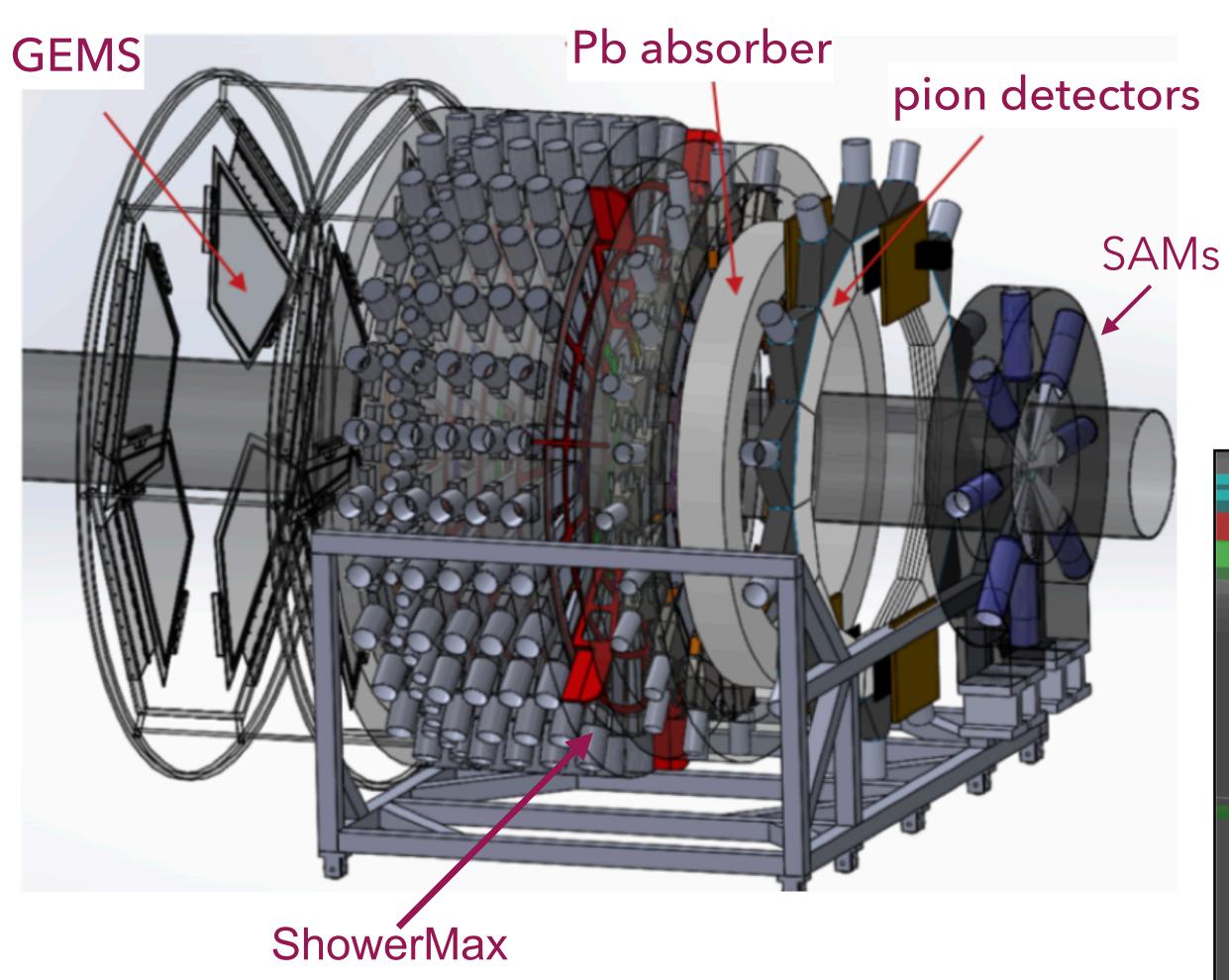


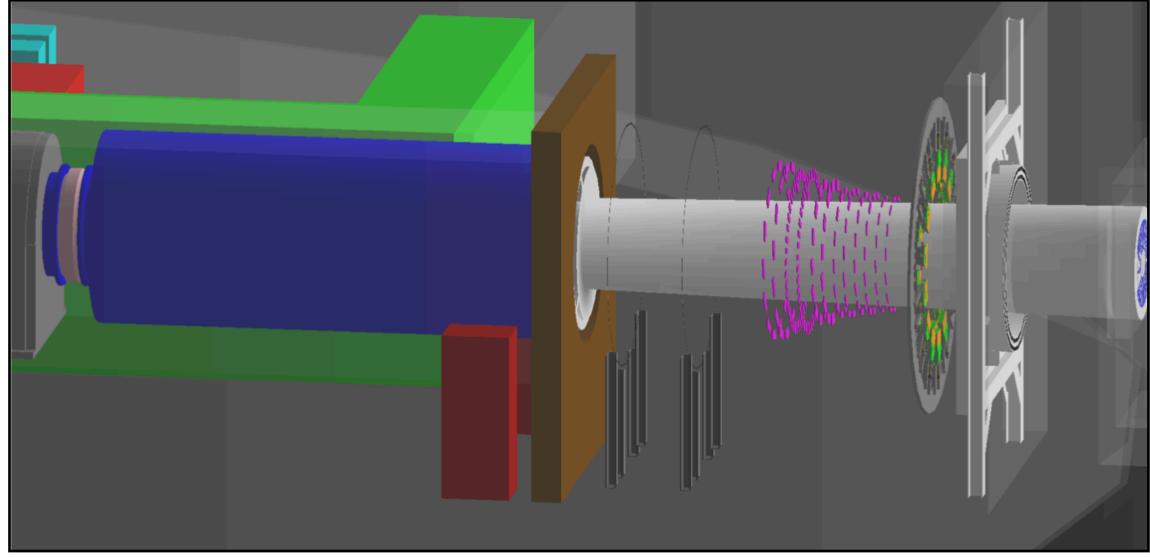


Walls, collars, and lintels supplement the collimation



More Detectors





Simulation Topics

Most everything we do falls in to one of these categories

- Radiation control for equipment (hall electronics) and personnel protection (boundary)
- Radiation estimates for radiation damage in apparatus (coils, o-rings)
- Rescattering for control of measurement in main detector (or other detectors)
 - Edges, field imperfections...
 - rare events (e.g. ferromagnetic materials)
- Maintain Spectrometer and Detector optimization through final engineering
- Physics extraction

This ~50M\$ project is taking off, and responding to engineering/design topics must remain our top priority

But we are also pivoting to figuring out the details of using this apparatus to measure A_{PV} , developing run and calibration plans, and writing analysis software

We're looking forward to having your help with this work!